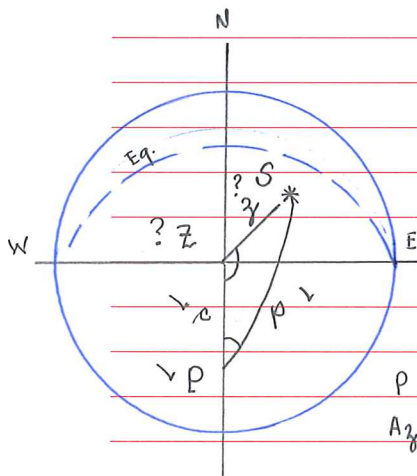


SHRINE ASSIGNMENT 2010

SHRINE OF REMEMBRANCE  $\phi: -37^{\circ} 49' 55''$  ( $\rho = 52^{\circ} 10' 05''$ )  
 $\lambda: 144^{\circ} 58' 20''$  ( $9^h 39^m 53.3^s$ )

1. Azimuth & zenith distance of Sun at 11 am Eastern Australian Standard Time ( $10^h$  E of UT)

Zone Time	11 Nov 2010	$11^h 00^m 00^s$	
- $\lambda E$ (zone)		-10	
= UT	11-Nov-2010	1 00 00	DECLINATION
+ E @ $0^h$ UT		+ 12 16 01.6	S, $17^{\circ} 19.7'$
$\pm \Delta E$ for $1^h$		- 0.3	+ 0.7
= GHA sun		13 16 01.3	S $17^{\circ} 20.4'$
+ $\lambda E$ (obs)		+ 9 39 53.3	
= LHA sun		22 55 54.6	<u><u><math>p = 72^{\circ} 39' 36''</math></u></u>
$P_E$		<u><u><math>= 16^{\circ} 01' 21.0''</math></u></u>	



$\rho = 52^{\circ} 10' 05''$   
 $p = 72^{\circ} 39' 36''$   
 $P = 16^{\circ} 01' 21''$

cosine rule

$\cos Z = \cos \rho \cos p + \sin \rho \sin p \cos P$   
 $Z = \underline{\underline{24^{\circ} 50' 49''}}$

$P = 24^h - LHA$   
 $A_Z = 180 - Z$

Four parts rule

$\cos(\text{inner side}) \cos(\text{inner angle})$   
 $= \sin(\text{inner side}) \cot(\text{outer side})$   
 $- \sin(\text{inner angle}) \cot(\text{outer angle})$

or  $\cos \rho \cos P = \sin \rho \cot p - \sin P \cot Z$

$\tan Z = \frac{\sin P}{\sin \rho - \cos \rho \cos P}$

$Z = 141^{\circ} 10' 09''$

$A_Z = \underline{\underline{38^{\circ} 49' 51''}}$

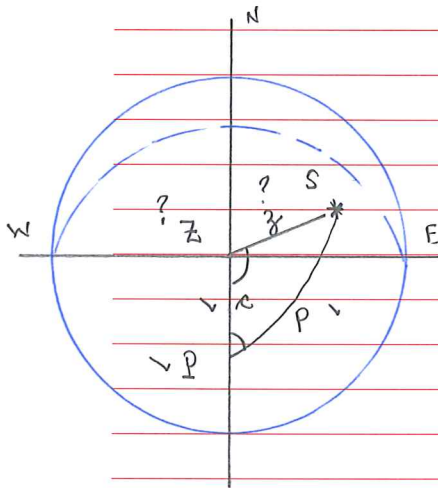
R. Drakin 17 Nov 2010  
 SHEET 1 OF 5

SHRINE ASSIGNMENT 2010

2. Azimuth & zenith distance of sun at 11 am  
Daylight Saving Time (11<sup>h</sup> E of UT)

Zone Time	11-Nov-2010	11 <sup>h</sup> 00 <sup>m</sup> 00 <sup>s</sup>	
- λE (zone)		- 11	
= UT	11-Nov-2010	0 00 00	DECLINATION
+ E @ 0 <sup>h</sup> UT		12 16 01.6	S 17° 19.7'
= GHA sun		12 16 01.6	
+ λE (obs)		9 39 53.3	ρ = 72° 40' 18"
= LHA sun		21 55 54.9	

P<sub>E</sub> = 31° 01' 16.5"



$\alpha = 52^{\circ} 10' 05''$

$\rho = 72 40 18$

$P = 31 01 16.5$

$z = \underline{34^{\circ} 01' 22''}$

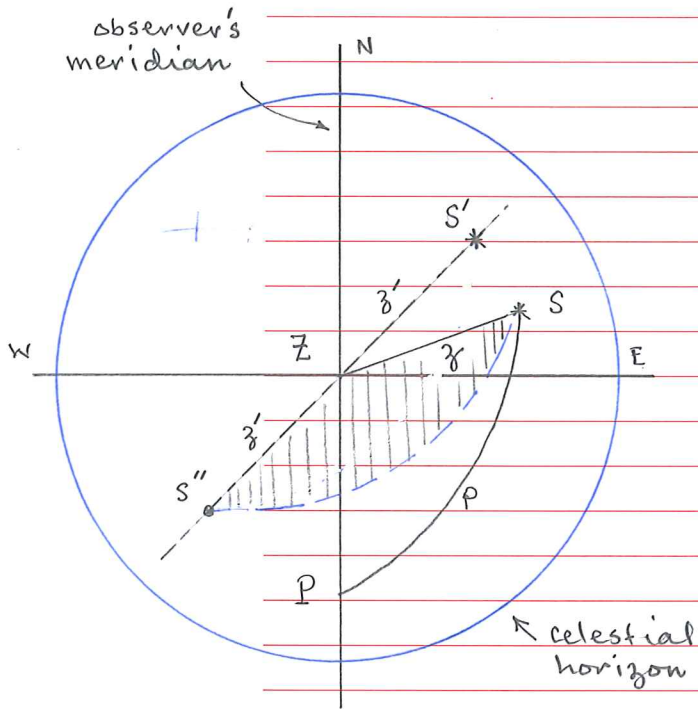
$Z = 118^{\circ} 26' 48.5''$

$A_z = \underline{61^{\circ} 33' 11''}$

R. Deakin, 17 Nov 2010

SHEET 2 OF 5 SHEETS

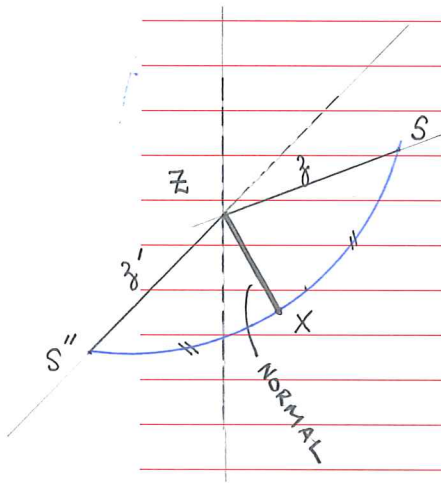
SHRINE ASSIGNMENT 2010



11 am DAYLIGHT SAVING TIME

The Sun is at  $S$ , but needs to be reflected into plane  $S'ZS''$  by oblique mirror at  $Z$  (observer's zenith)

NOTE The reflection of  $S'$  is at  $S''$ ; and since the angle of incidence is equal to angle of reflection, the zenith distances will be equal. ( $ZS'$  and  $ZS''$ )



The great circle arc  $S \rightarrow S''$  is the intersection of the plane containing the NORMAL to the oblique mirror and the celestial sphere.

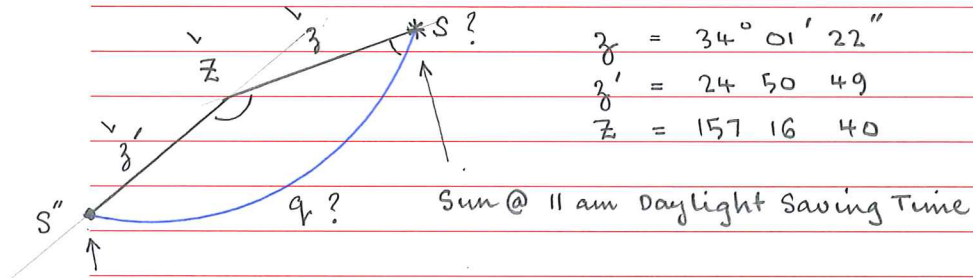
And as the angle of incidence is equal to angle of reflection, the mid-point  $X$  of the arc is the intersection of the normal and the celestial sphere

R. Deakin, 17 Nov 2010

SHEET 3 OF 5 SHEETS

SHRINE ASSIGNMENT 2010

3. Compute  $S$  and  $q$  in triangle  $ZSS''$



$$\begin{aligned} z &= 34^\circ 01' 22'' \\ z' &= 24^\circ 50' 49'' \\ Z &= 157^\circ 16' 40'' \end{aligned}$$

reflected Sun @ 11 am East. Aust. St. Time

$$\cos q = \cos z \cos z' + \sin z \sin z' \cos Z$$

$$q = \underline{57^\circ 38' 25.0''}$$

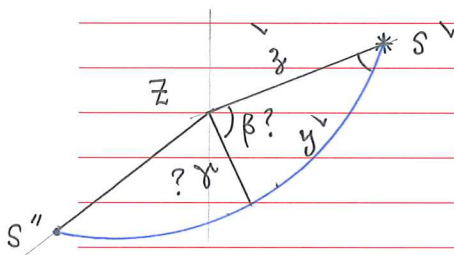
$$\cos z \cos Z = \sin z \cot z' - \sin Z \cot S$$

or

$$\tan S = \frac{\sin Z}{\frac{\sin z}{\tan z'} - \cos z \cos Z}$$

$$S = \underline{11^\circ 04' 40.9''}$$

4. Compute  $\gamma$  and  $\beta$



$$\begin{aligned} z &= 34^\circ 01' 22'' \\ y &= q/2 = 28^\circ 49' 12.5'' \\ S &= 11^\circ 04' 40.9'' \end{aligned}$$

$$\cos \gamma = \cos z \cos y + \sin z \sin y \cos S$$

$$\gamma = \underline{7^\circ 45' 18''}$$

$$\cos z \cos S = \sin z \cot y - \sin S \cot \beta$$

$$\tan \beta = \frac{\sin S}{\frac{\sin z}{\tan y} - \cos z \cos S}$$

$$\beta = \underline{43^\circ 20' 57''}$$

17 Nov 2010

SHEET 4 OF 5

SHRINE ASSIGNMENT 2010

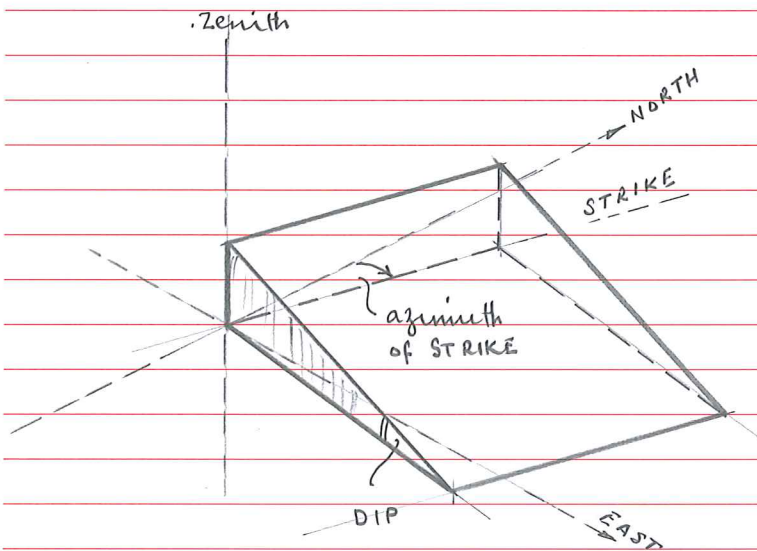
5. Normal to oblique mirror

$$\begin{aligned} \text{Azimuth of normal} &= 61^{\circ} 33' 11'' \\ &+ 43 \quad 20 \quad 57 \\ \hline &104^{\circ} 54' 08'' \end{aligned}$$

$$\text{Zenith distance of normal} = 7^{\circ} 45' 18''$$

$$\text{DIP of mirror} = 7^{\circ} 45' 18''$$

$$\text{Azimuth of STRIKE} = 14^{\circ} 53' 36''$$



OBLIQUE MIRROR.

R. Deakin 17 Nov 2010  
SHEET 5 OF 5 SHEETS